

```

using CPLEX;

//Initialize data:
int n=...;
range I=1..n;
range J=1..n;
int c[I][J]=...;

//Define variables
dvar boolean y1[I];
dvar boolean y2[I];
dvar boolean W1[I][J];
dvar boolean W2[I][J];
dvar float+ z;

//Model
maximize sum(i in I , j in J)
  c[i][j]*(W1[i][j]+W2[i][j])-z;

//constraints
subject to{
forall(i in I , j in J)
  W1[i][j]<=y1[i];

forall(i in I , j in J)
  W1[i][j]<=y1[j];

```

forall(i in I , j in J)

$W1[i][j] \geq y1[i] + y1[j] - 1;$

forall(i in I , j in J)

$W2[i][j] \leq y2[i];$

forall(i in I , j in J)

$W2[i][j] \leq y2[j];$

forall(i in I , j in J)

$W2[i][j] \geq y2[i] + y2[j] - 1;$

forall(i in I)

$y1[i] + y2[i] = 1;$

sum(i in I)

$(y1[i] - y2[i]) - z = 0;$

sum(i in I)

$(y1[i] - y2[i]) + z = 0;$

};

The optimal answer for y1 and y2:

$Y1 = [1 \ 1 \ 1 \ 0 \ 0 \ 0]$

$Y2 = [0 \ 0 \ 0 \ 1 \ 1 \ 1]$